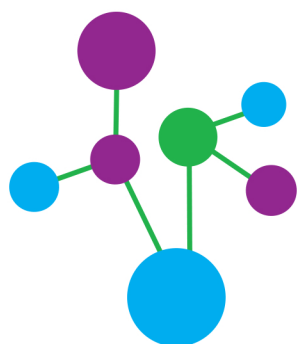


NAME: _____

**TERM
5&6**

**YEAR 10
CORE**



**PLYMPTON ACADEMY
HANDBOOK**

TERM 5&6

Ozymandias by Percy Bysshe Shelley

Content, Meaning and Purpose -The narrator meets a traveller who tells him about a decayed statue that he saw in a desert. -The statue was of a long forgotten ancient King: the arrogant Ozymandias, 'king of kings.' -The poem is ironic and one big metaphor: Human power is only temporary – the statue now lays crumbled in the sand, and even the most powerful human creations cannot resist the power of nature.

Language

-‘sneer of cold command’: the king was arrogant, this has been recognised by the sculptor, the traveller and then the narrator.
-‘Look on my works, ye Mighty, and despair’: ‘Look’ = imperative, stressed syllable highlights commanding tone;
ironic – he is telling other ‘mighty’ kings to admire the size of his statue and ‘despair’, however they should really despair because power is only temporary.
‘The lone and level sands stretch far away’: the desert is vast, lonely, and lasts far longer than a statue

My Last Duchess by Robert Browning

Content, Meaning and Purpose -The Duke is showing a visitor around his large art collection and proudly points out a portrait of his last wife, who is now dead. He reveals that he was annoyed by her over-friendly and flirtatious behaviour. -He can finally control her by objectifying her and showing her portrait to visitors when he chooses. - He is now alone as a result of his need for control.
-The visitor has come to arrange the Duke’s next marriage, and the Duke’s story is a subtle warning about how he expects his next wife to behave.

Language

-‘Looking as if she was alive’: sets a sinister tone.
-‘Will’t please you sit and look at her?’ rhetorical question to his visitor shows obsession with power.
-‘she liked whate’er / She looked on, and her looks went everywhere.’: hints that his wife was a flirt.
-‘as if she ranked / My gift of a nine-hundred-yearsold name / With anybody’s gift’: she was beneath him in status, and yet dared to rebel against his authority.
-‘I gave commands; Then all smiles stopped together’: euphemism for his wife’s murder.
-‘Notice Neptune, though / Taming a sea-horse’: he points out another painting, also about control.



Cluster Three- The Power of Identity.



Tissue by Imtiaz Dharker

Content, Meaning and Purpose -Two different meanings of ‘Tissue’ (homonyms) are explored: firstly, the various pieces of paper that control our lives (holy books, maps, grocery receipts); secondly, the tissue of a human body. -The poet explores the paradox that although paper is fragile, temporary and ultimately not important, we allow it to control our lives. -Also, although human life is much more precious, it is also fragile and temporary.

Language


-Semantic field of light: (‘Paper that lets light shine through’, ‘The sun shines through their borderlines’, ‘let the daylight break through capitals and monoliths’) emphasises that light is central to life, a positive and powerful force that can break through ‘tissue’ and even monoliths (stone statues).
-‘pages smoothed and stroked and turned’: gentle verbs convey how important documents such as the Koran are treated with respect.
-‘Fine slips [...] might fly our lives like paper kites’: this simile suggests that we allow ourselves to be controlled by paper.

Checking Out Me History by John Agard

Content, Meaning and Purpose -Represents the voice of a black man who is frustrated by the Eurocentric history curriculum in the UK – which pays little attention to the black history. -Black history is quoted to emphasise its separateness and to stress its importance.

Language

-Imagery of fire and light used in all three stanzas regarding black historic figures: “Toussaint de beacon”, “Fire-woman”, “yellow sunrise”.
-Uses non-standard phonetic spelling (“Dem tell me wha dem want”, to represent his own powerful accent and mixes Caribbean Creole dialect with standard English.
-“I carving out me identity”: metaphor for the painful struggle to be heard, and to find his identity.

Blood Brothers- Literature Paper Two.		SKILLS	Event Guide:
Vocabulary	Definition	Analysis Points: Link to the question Link to the terminology (Lang/Structure – evaluating choice) Short Quote(s) -or Moment Explain meaning and effect – both obvious and hidden (explicit and implicit) Zoom in on words/explore connotations and effect Suggest what other readers might think/feel (offering an alternative opinion) Link to the writer’s intentions (step out from the close analysis to give an overview of meaning) Explore a linking quote/supporting idea	Act 1
Poverty	Lacking in money linked to deprivation in social conditions, housing and education		<ul style="list-style-type: none"> The narrator introduces the plot in a Greek Chorus (we realise the play is a tragedy)
Wealth	The abundance of money or possessions		<ul style="list-style-type: none"> Meet two very different women, Mr J v poor agrees to give away one of her twins to Mrs L who is rich.
Liverpudlian	A person who comes from Liverpool (often with a distinct accent)		<ul style="list-style-type: none"> Meet the twins ages 7: they are very different in many ways (nurture) but do have quite similar natures. They’re treated differently by the police/school.
Deceit	Concealing or misrepresenting the truth	KEY THEMES Wealth, Poverty, Class, Superstition, Childhood, Death	<ul style="list-style-type: none"> Mrs L is paranoid her son will discover his adoption so moves the family to the country to get away from Mickey and Mrs J. Years later, the council rehouses the Johnstone family in the country.
Death	Ending of life		
Innocence	The state of being pure and lacking in corrupt behaviour		
Superstition	Irrational belief in widely held supernatural instances		
Class System	The concept that there is more than one social class of people: working class, middle class and upper class and the rules which govern the lives of people in different classes lead to societal unfairness	EXAM REQUIREMENTS <u>ESSAY QUESTION– 45 mins (including planning time)</u> Typical Questions Write about the theme of _____ and how it is presented at different points in the play/text In your response you should: <input type="checkbox"/> refer to the extract and the play as a whole; <input type="checkbox"/> show your understanding of theme and events in the play. [35+5] 5 of this question’s marks are allocated for accuracy in spelling, punctuation and the use of vocabulary and sentence structures. This question assesses AO1, AO2 and AO4 (5 additional marks).	ACT 2
Hierarchy	Ranking of members of society due to status or authority		<ul style="list-style-type: none"> The boys meet again aged 14 and their friendship continues. The boys, again, display similar natures. They have very different qualities if education. Mickey is in love with Linda.
Disillusioned	Disappointment in someone or something that appears to be less good than initially thought		<ul style="list-style-type: none"> Mrs L becomes increasingly mad at the thought of Edward finding out and tries to kills Mrs J.
Condescension	A patronising, condescending attitude towards others		<ul style="list-style-type: none"> Aged 18, Edward goes to university and Mickey to a full-time job which he hates. The gap is widening between them.
Snobbery	The character or quality of being a snob		<ul style="list-style-type: none"> Linda is pregnant so she & Mickey marry. Mickey loses his job, helps Sammy rob a garage & is sent to prison. Nothing is the same for him and Linda again.
Underprivileged	Not having access to the same standard of living as other people in society		<ul style="list-style-type: none"> Mickey is released from prison but is addicted to anti-depressants. Desperate, Linda asks Edward for help. He gets them a house & Mickey a job, but starts a brief affair with Linda.
Omniscient Narrator	All knowing narrative voice		<ul style="list-style-type: none"> Mrs L tells Mickey about the affair, he
Dialogue	Speech		
Accent	A distinctive way of pronouncing words		
Dramatic Irony	From Greek tragedy: the audience is aware of the importance of events but the characters are not		
Foreshadowing	Predicting or warning of a future event in the text		
Pathetic Fallacy	Linking of nature and weather to human emotions/moods		
Metaphor	Where one thing becomes another in a comparison		
Musical	The form of the play: music plays an important part in revealing the action/events		
Symbolism	Using symbols in literature to represent ideas or qualities		
Motif	A dominant or recurring idea in the play		

<p>MRS JOHNSTONE</p> <ul style="list-style-type: none"> “He told me I was sexier than Marilyn Monroe” Recurring motif – Her looks were all she had going for her and when they were gone so was her husband. “By the time I was twenty-five, I looked like forty-two” Hyperbole – showing the impact on her appearance of having a hard life and so many children so young. “during the dance, she acquires a brush, dusters and a mop” stage directions – showing that she is happy to be working even if it is in a menial job “never put new shoes on a table” Foreshadowing – this superstition suggests that something bad will happen right from the start of the play. Mrs Johnstone believes in these superstitions. “silver trays to take meals on” / “a bike with both wheels on” – Mrs J & Mrs L Juxtaposition – Highlights the different lifestyles both boys would have. Envy from Mrs J. too “Mrs Lyons shows the Bible to Mrs Johnstone” Religious imagery and stage directions – showing how once a pact has been made and sworn on the bible you can’t change your mind. Important symbolically as this is the point of no return in giving a baby away. “don’t you ever come round here again” / “I’m very sorry, but it’s Edward’s bedtime” – Mrs J and Mrs L 	<p>THE NARRATOR</p> <ul style="list-style-type: none"> “I’m up to here with hard luck stories” – Milkman/narrator First person – shows a lack of caring and the poverty that the family live in. “the devil’s got your number” – narrator Foreshadowing – song shows us that she won’t get away with giving up her son did you never hear how the Johnstones died” – narrator Foreshadowing - the narrator tells us the ending at the start of the play “the mother, so cruel, there’s a stone in place of her heart” – narrator Hyperbole – The narrator exaggerates how horrible Mrs J. is which we find out if not true. He is being very judgemental and patronising towards her. “a debt is a debt, and must be paid” – narrator repetition – here the narrator is giving a double meaning, physical money and the fact that she will have to pay for giving up her child. “There’s a mad man” – narrator Alliteration – referring to Mickey and his desire to kill Edward with the gun from Sammy’s robbery. “Do we blame superstition for what came to pass? Or could it be what we, the English, have come to know as class?” – the narrator Rhetorical questions – questioning tone as to whether the blame lies with society rather than the characters themselves. “Did you ever hear the story of the Johnstone twins, as like each other as two new pins” – narrator Cyclical structure of the novel – repetition of the opening – showing their deaths were inevitable from the start. “the music pulsates and builds” stage directions – showing the culmination of the action and the building to the deaths 	<p>EDWARD/MICKEY</p> <ul style="list-style-type: none"> “mam” / “mummy” “pissed off” / “you say smashing things” “the two of them immediately wriggle and giggle with glee” – Edward and Mickey Juxtaposition and difference in speech patterns “we’re blood brothers” Mickey and Edward Symbolism – childhood ritual and the fact they are actually twins “if you cross your fingers and if you count from one to ten” – the children Foreshadowing – showing childhood beliefs and superstitions “Peter Pan” Symbolism of never growing up – foreshadowing later difficulty when both boys do grow up “take a flying fuck at a rolling donut” / “it’s borin”” Juxtaposition - of trouble at school for Mickey and Edward “a game of piggy-in-the-middle” the stage directions and foreshadowing – showing where Linda is in the middle of Mickey and Edward throughout both their childhood and into adulthood too. “workin’ overtime” / “I go away to university tomorrow” – Mickey and Edward statements – shows the contrast in lifestyles and class for both boys “How come you got everything... an’ I got nothin’?” – Mickey, to Edward Dialogue – jealousy from Mickey to Edward showing he sees the unfairness in society “I could have been him!” – Mickey shouting accusatory tone –how unfair the whole situation has been and despondency Mickey at his poverty “walkin’ round in circles” – Mickey Tone – Mickey is resentful and angry at what has happened “I grew up. An’ you didn’t, because you didn’t need to” – Mickey to Edward Emotive language – shows jealousy of Edward’s freedom, money and Uni. “chronically depressed” – Mickey Emotive language – Mickey is reliant on pills after prison. “You sorted it out. You and Councillor Eddie Lyons” – Mickey Sarcastic tone –not grateful for Eddie’s help. Edward is “on a platform” stage directions –Edward is isolated and an easy target 	<p>MRS LYONS</p> <ul style="list-style-type: none"> “give one to me” imperative – demanding tone showing that she is desperate for a baby and will do anything to get one. “How can you possibly avoid some of them being put into care?” Rhetorical Question – persuade her to give one of the twins to her. “You’ll be locked up” Directive – threatening Mrs J. “It’s just... just this place” repetition – shows her bad state of mind “has a lethal-looking kitchen knife in her hand” Stage directions – she is trying to stab Mrs J. showing that she is going mad. <p>MINOR CHARACTERS</p> <p>Mr Lyons “it’s a sign of the times, Miss Jones” Statement – showing that there is no work for anyone (linking to Mickey being unemployed and unable to find a job).</p> <p>Police “he was about to commit a serious crime” / “it was more of a prank, really” juxtaposition of the treatment of Mickey and Edward by the police – unfairness and class stereotyping</p> <p>Sammy “Sammy burnt the school down” Foreshadowing – that he will be trouble and lead Mickey into trouble too.</p> <p>Schoolteacher “This is a boys’ school, Lyons” –negative tone – showing Edward getting into trouble.</p>
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BIDMAS N3

...or BODMAS. Use the correct order of operations; take care when using a calculator.

- Brackets
- Indices (or pOwers)
- Division and Multiplication
- Addition and Subtraction

Types of number N4

Integer: a "whole" number
Factors; the divisors of an integer
→ Factors of 12 are 1, 2, 3, 4, 6, 12
Multiples; a "times table" for an integer (will continue indefinitely)
→ Multiples of 12 are 12, 24, 36 ...
Prime number: an integer which has exactly two factors (1 and the number itself). Note: 1 is not a prime number.

HCF, LCM N4

Highest Common Factor (HCF)
→ Factors of 6 are 1, 2, 3, 6
Factors of 9 are 1, 3, 9
HCF of 6 and 9 is 3
Lowest Common Multiple (LCM)
→ Multiples of 6 are 6, 12, 18, 24, ...
Multiples of 9 are 9, 18, 27, 36, ...
LCM of 6 and 9 is 18

Prime factors N4

Write a number as a product of its prime factors; use indices for repeated factors:

$$\rightarrow 720 = 5 \times 3^2 \times 2^4$$

Powers and roots N6, N7

Special indices: for any value a :

$$a^0 = 1$$

$$a^{-n} = \frac{1}{a^n}$$

$$\rightarrow 3^{-4} = \frac{1}{3^4} = \frac{1}{81}$$

Calculating with fractions N8

Adding or subtracting fractions; use a common denominator...

$$\rightarrow \frac{4}{5} - \frac{1}{3} = \frac{12}{15} - \frac{5}{15} = \frac{7}{15}$$

Multiplying fractions; multiply numerators and denominators...

$$\rightarrow \frac{4}{7} \times \frac{2}{3} = \frac{8}{21}$$

Dividing fractions; "flip" the second fraction, then multiply...

$$\rightarrow \frac{2}{7} \div \frac{5}{6} = \frac{2}{7} \times \frac{6}{5} = \frac{12}{35}$$

Surds N8

Look for the biggest square number factor of the number:

$$\rightarrow \sqrt{80} = \sqrt{16 \times 5} = 4\sqrt{5}$$

Standard form N9

Standard form numbers are of the form $a \times 10^n$ where $1 \leq a < 10$ and n is an integer.

Standard units N13

1 tonne = 1000 kilograms
1 kilogram = 1000 grams

1 kilometre = 1000 metres
1 metre = 100 centimetres
= 1000 millimetres
1 centimetre = 10 millimetres

1 day = 24 hours
1 hour = 60 minutes = 3600 seconds
1 minute = 60 seconds

Fractions, decimals N10

Fraction is numerator \div den

$$\rightarrow \frac{5}{8} = 5 \div 8 = 0.625$$

Use place values to change decimals to fractions. Simplify where possible.

$$\rightarrow 0.45 = \frac{45}{100} = \frac{9}{20}$$

Learn the most frequently used ones:

$\frac{1}{2}$	$\frac{1}{4}$	$\frac{1}{10}$	$\frac{1}{5}$	$\frac{3}{4}$
0.5	0.25	0.1	0.2	0.75

Rounding N15

Truncate the number, then use a "decider digit" to round up or down.
Decimal places: use the decimal point

$$\rightarrow 162.3681 \text{ to 2dp;}$$

$$162.36 \mid 81 = 162.37 \text{ to 2dp}$$

Significant figures: use the first non-zero digit.

$$\rightarrow 162.3681 \text{ to 2sf;}$$

$$16 \mid 2.3681 = 160 \text{ to 2sf}$$

$$\rightarrow 0.007 \, 039 \text{ to 3sf;}$$

$$0.007 \, 03 \mid 9 = 0.007 \, 04 \text{ to 3sf}$$

Error intervals N15

Find the range of numbers that will round to a given value:

$$\rightarrow x = 5.83 \text{ (2 decimal places)}$$

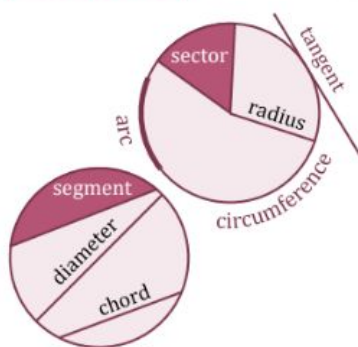
$$5.825 \leq x < 5.835$$

$$\rightarrow y = 46 \text{ (2 significant figures)}$$

$$45.5 \leq y < 46.5$$

Note use of \leq and $<$, and that the last significant figure of each is 5

Parts of a circle G9

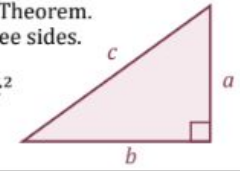


Right angled triangles G20, G22

Pythagoras Theorem.
Links all three sides.

No angles.

$$a^2 + b^2 = c^2$$



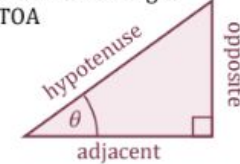
The longest side of any right angled triangle is the hypotenuse; check that your answer is consistent with this.

Special values of sin, cos, tan
Learn (or be able to find without a calculator)...

θ°	$\sin\theta^\circ$	$\cos\theta^\circ$	$\tan\theta^\circ$
0	0	1	1
30	$\frac{1}{2}$	$\frac{\sqrt{3}}{2}$	$\frac{1}{\sqrt{3}}$
45	$\frac{1}{\sqrt{2}}$	$\frac{1}{\sqrt{2}}$	1
60	$\frac{\sqrt{3}}{2}$	$\frac{1}{2}$	$\sqrt{3}$
90	1	0	

Trigonometry.
Links two sides and one angle.

SOH | CAH | TOA

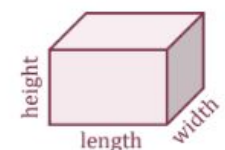
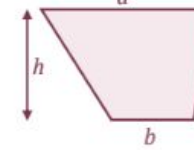
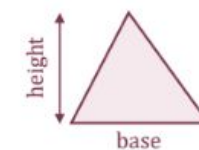


$$\sin\theta = \frac{\text{opp}}{\text{hyp}} \quad \cos\theta = \frac{\text{adj}}{\text{hyp}} \quad \tan\theta = \frac{\text{opp}}{\text{adj}}$$

Use "2ndF" or "SHIFT" key to find a missing angle

Areas and volumes G16, G17, G18, G23

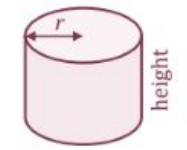
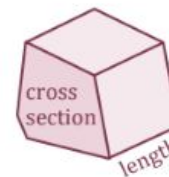
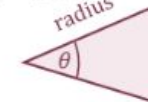
Area of triangle = $\frac{1}{2} \times \text{base} \times \text{height}$ Volume of cuboid = length \times width \times height



$$\text{Area of trapezium} = \frac{1}{2}(a + b) \times h$$

Circumference of circle = $\pi \times D$

Area of circle = $\pi \times r^2$



$$\text{Arc length} = \frac{\theta}{360^\circ} \times \pi \times D$$

$$\text{Area of sector} = \frac{\theta}{360^\circ} \times \pi \times r^2 \quad \text{Volume of cylinder} = \pi r^2 \times \text{height}$$

$$\text{Volume of prism} = \text{area of cross section} \times \text{length}$$

Transformations

Reflection

- Line of reflection
- Translation
- Vector

Rotation

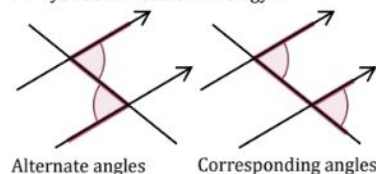
- Centre of rotation
- Angle of rotation
- Clockwise or anticlockwise

Enlargement

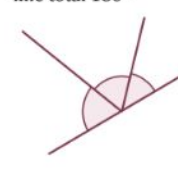
- Centre of enlargement
- Scale factor (if SF < 1 the shape will get smaller).

Angle facts

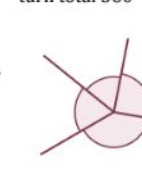
Equal angles in parallel lines:
always use correct terminology...



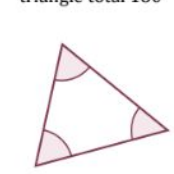
Angles on a straight line total 180°



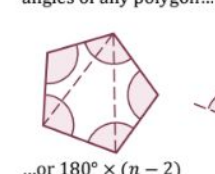
Angles in a full turn total 360°



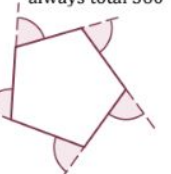
Interior angles in a triangle total 180°



Use this for the interior angles of any polygon...



Exterior angles always total 360°



...or $180^\circ \times (n - 2)$

Quadratics A18

Solve a quadratic by factorising.
 ➔ Solve $x^2 - 8x + 15 = 0$
 Put into brackets (taking care with any negative numbers)...
 $(x - 3)(x - 5) = 0$
 ...then either $x - 3 = 0$ or $x - 5 = 0$
 so that $x = 3$ or $x = 5$.

Difference of two squares A4

$a^2 - b^2 = (a + b)(a - b)$
 ➔ $x^2 - 25 = (x + 5)(x - 5)$

Simultaneous equations A19

➔ Solve $\begin{cases} 2x + 3y = 11 \\ 3x - 5y = 7 \end{cases}$
 Multiply to match a term in x or y
 $\begin{cases} 10x + 15y = 55 \\ 9x - 15y = 21 \end{cases}$
 Add or subtract to cancel...
 $19x = 76$, so $x = 4$
 Finally, substitute and solve...
 $2 \times 4 + 3y = 11$, so $y = 1$

Rearrange a formula A5

The subject of a formula is the term on its own. Use rules that "balance" the formula to change its subject
 ➔ Make x the subject of
 $2x + 3y = z$
 Here, subtract 3y from both sides...
 $2x = z - 3y$
 ...then divide both sides by 2
 $x = \frac{z - 3y}{2}$

Laws of indices A4

For any value a:
 $a^x \times a^y = a^{x+y}$
 $\frac{a^x}{a^y} = a^{x-y}$
 $(a^x)^y = a^{xy}$
 ➔ $\left(\frac{2pq^4}{p^3q}\right)^3 = \frac{8p^3q^{12}}{p^9q^3} = \frac{8q^9}{p^6}$ or $8q^9p^{-6}$

$y = mx + c$ A9

Equation of straight line $y = mx + c$
 m is the gradient; c is the y intercept:
 ➔ Find the equation of the line that joins (0, 3) to (2, 11)
 Find its gradient...
 $\frac{11 - 3}{2 - 0} = \frac{8}{2} = 4$
 ...and its y intercept...
 Passes through (0, 3), so $c = 3$
 Equation is $y = 4x + 3$

Parallel lines: gradients are equal;
 ➔ $y = 2x + 3$ and $y = 2x - 5$ both have gradient 2 so are parallel.

Expanding brackets A4

$p(q + r) = pq + pr$
 ➔ $5(x - 2y) = 5x - 10y$
 $(x + a)(x + b) = x^2 + ax + bx + ab$
 ➔ $(2x - 3)(x + 5)$
 $= 2x^2 - 3x + 10x - 15$
 $= 2x^2 + 7x - 15$

Reverse of expanding is factorising - putting an expression into brackets.

Algebraic notation A1

$$\begin{aligned} ab &= a \times b \\ 3y &= y + y + y \\ a^2 &= a \times a \\ a^3 &= a \times a \times a \\ a^2b &= a \times a \times b \\ \frac{a}{b} &= a \div b \end{aligned}$$

Equations and identities A3

An equation is true for some particular value of x
 ➔ $2x + 1 = 7$ is true if $x = 3$
 ...but an identity is true for every value of x
 ➔ $(x + a)^2 \equiv x^2 + 2ax + a^2$
 (note the use of the symbol \equiv)

Sequences A24, A25

Triangular numbers:

1st	2nd	3rd	4th	5th
1	3	6	10	15

Square numbers ($n^2 = n \times n$):

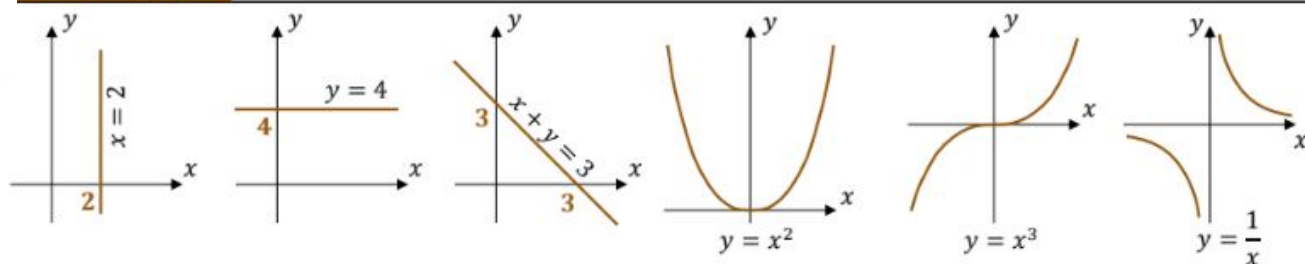
1 ²	2 ²	3 ²	4 ²	5 ²
1	4	9	16	25

Cube numbers ($n^3 = n \times n \times n$):

1 ³	2 ³	3 ³	4 ³	5 ³
1	8	27	64	125

nth term of an arithmetic (linear) sequence is $an + d$
 ➔ nth term of 5, 8, 11, 14, ... is $3n + 2$ (always increases by 3 first term is $3 \times 1 + 2 = 5$)
 Geometric sequence; multiply each term by a constant ratio
 ➔ 3, 6, 12, 24, ... (ratio is 2)
 Fibonacci sequence; make the next term by adding the previous two ...
 ➔ 2, 4, 6, 10, 16, 26, 42, ...

Standard graphs A12



Division using ratio R5

Use a ratio for unequal sharing
 ➔ Divide £480 in the ratio 7 : 5
 $7 + 5 = 12$, then $£480 \div 12 = £40$
 $7 \times £40 = £280$, $5 \times £40 = £200$
 (check: $£280 + £200 = £480$ ✓)

Ratio and fractions R8

Link between ratios and fractions
 ➔ Boys to girls in ratio 2 : 3
 $\frac{2}{5}$ are boys, $\frac{3}{5}$ are girls.

Percentages R9

y percent of $x = \frac{y}{100} \times x$
 ➔ Increase £58 by 26%.
 $\frac{26}{100} \times £58 = £15.08$
 $£58 + £15.08 = £73.08$
 y as a percentage of $x = \frac{y}{x} \times 100\%$
 ➔ The population of a town increases from 3500 to 4620
 Find the percentage increase.
 $\frac{1120}{3500} \times 100\% = 32\%$
 Note: fraction = $\frac{\text{increase}}{\text{original}}$

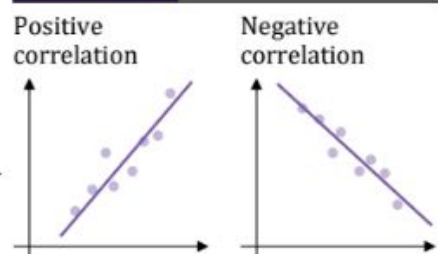
Learn the most frequently used ones:

$\frac{1}{2}$	$\frac{1}{4}$	$\frac{1}{10}$	$\frac{1}{5}$	$\frac{1}{100}$
50%	25%	10%	20%	1%

Averages S4

Mode: most frequently occurring
 Median: put the data in numerical order, then choose the middle one
 Mean = $\frac{\text{total of items of data}}{\text{number of items of data}}$

Correlation S6



Probability P8, P9

$p = \frac{n(\text{equally likely favourable outcomes})}{n(\text{equally likely possible outcomes})}$
 $p = 0$ impossible
 $0 < p < 0.5$ unlikely
 $p = 0.5$ evens
 $0.5 < p < 1$ likely
 $p = 1$ certain

Probability rules P8, P9

Multiply for independent events
 ➔ P(6 on dice and H on coin)
 $\frac{1}{6} \times \frac{1}{2} = \frac{1}{12}$
 Add for mutually exclusive events
 ➔ P(5 or 6 on dice)
 $\frac{1}{6} + \frac{1}{6} = \frac{2}{6}$
 Apply these rules to tree diagrams.

Listing strategies N5

Product rule for counting:
 → $4 \times 3 \times 2 \times 1 = 24$ ways to arrange the letters P, I, X and L

Powers and roots N6, N7

Special indices: for any value a :

$$a^0 = 1$$

$$a^{-n} = \frac{1}{a^n}$$

$$a^{\left(\frac{p}{q}\right)} = \sqrt[q]{a^p}$$

→ $3^{-4} = \frac{1}{3^4} = \frac{1}{81}$

→ $8^{\left(\frac{2}{3}\right)} = \sqrt[3]{8^2} = 4$

Surds N8

Look for the biggest square number factor of the number:

→ $\sqrt{80} = \sqrt{16 \times 5} = 4\sqrt{5}$

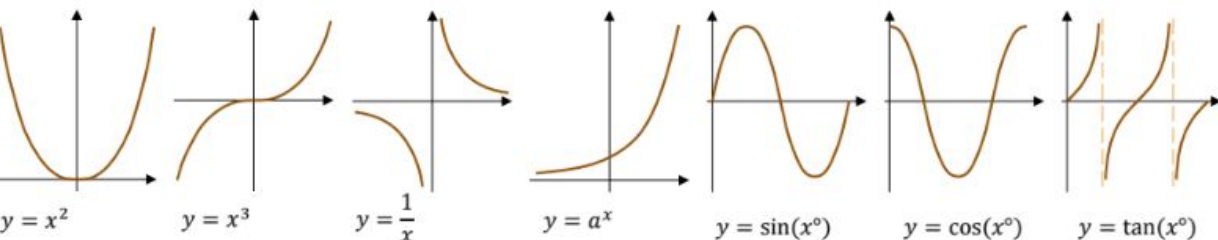
Rationalise the denominator N8

Multiply the numerator and denominator by an expression that makes the denominator an integer:

→ $\frac{4}{\sqrt{7}} = \frac{4 \times \sqrt{7}}{\sqrt{7} \times \sqrt{7}} = \frac{4\sqrt{7}}{7}$

→ $\frac{2}{4 + \sqrt{5}} = \frac{2}{4 + \sqrt{5}} \times \frac{4 - \sqrt{5}}{4 - \sqrt{5}} = \frac{2(4 - \sqrt{5})}{11}$

Standard graphs A12



Standard form N9

Standard form numbers are of the form $a \times 10^n$, where $1 \leq a < 10$ and n is an integer.

Recurring decimals N10

Make a recurring decimal a fraction:

→ $n = 0.23\bar{6}$
 (two digits are in the recurring pattern, so multiply by 100)
 $100n = 23.\bar{6}$
 (this is the same as 23.636)
 $99n = 23.6\bar{3}6 - 0.2\bar{3}6 = 23.4$
 $n = \frac{23.4}{99} = \frac{234}{990} = \frac{13}{55}$

Error intervals N15

Find the range of numbers that will round to a given value:

→ $x = 5.83$ (2 decimal places)
 $5.825 \leq x < 5.835$

→ $y = 46$ (2 significant figures)
 $45.5 \leq y < 46.5$

Note use of \leq and $<$, and that the last significant figure of each is 5

Equations and identities A3

An equation is true for some particular value of x

→ $2x + 1 = 7$ is true if $x = 3$
 ...but an identity is true for every value of x
 → $(x + a)^2 \equiv x^2 + 2ax + a^2$
 (note the use of the symbol \equiv)

Transformations of curves A13

Starting with the curve $y = f(x)$:

Translate $\begin{pmatrix} 0 \\ a \end{pmatrix}$ for $y = f(x) + a$

Translate $\begin{pmatrix} -a \\ 0 \end{pmatrix}$ for $y = f(x + a)$

Reflect in x axis for $y = -f(x)$

Reflect y axis for $y = f(-x)$

Velocity - time graph A15

Gradient = acceleration (you may need to draw a tangent to the curve at a point to find the gradient);
 Area under curve = distance travelled.

Laws of indices A4

For any value a :

$$a^x \times a^y = a^{x+y}$$

$$\frac{a^x}{a^y} = a^{x-y}$$

$$(a^x)^y = a^{xy}$$

→ $\left(\frac{2pq^4}{p^3q}\right)^3 = \frac{8p^3q^{12}}{p^9q^3} = \frac{8q^9}{p^6}$ or $8q^9p^{-6}$

Difference of two squares A4

→ $a^2 - b^2 = (a + b)(a - b)$
 $x^2 - 25 = (x + 5)(x - 5)$

Rearrange a formula A5

The subject of a formula is the term on its own. Rearrange to

→ Make x the subject of

$$2x + ay = y - bx$$

$$2x + bx = y - ay$$

$$x(2 + b) = y - ay$$

$$x = \frac{y - ay}{2 + b}$$

Functions A7

Combining functions:

→ If $f(x) = x + 3$ and $g(x) = x^2$
 $fg(x) = x^2 + 3$
 $gf(x) = (x + 3)^2$

The inverse of f is f^{-1}

→ If $f(x) = 2x + 5$ then
 $f^{-1}(x) = \frac{x - 5}{2}$

$y = mx + c$ A9

Equation of straight line $y = mx + c$
 m is the gradient; c is the y intercept:

→ Find the equation of the line that joins $(0, 3)$ to $(2, 11)$
 Find its gradient...

$$\frac{11 - 3}{2 - 0} = \frac{8}{2} = 4$$

...and its y intercept...

Passes through $(0, 3)$, so $c = 3$

Equation is $y = 4x + 3$

Parallel lines: gradients are equal;
 perpendicular lines: gradients are "negative reciprocals".

→ $y = 2x + 3$ and $y = 2x - 5$ are parallel to each other; $y = 2x + 3$ and $y = -\frac{1}{2}x + 3$ are perpendicular

Iteration A20

You will be given the formula to use:

→ Solve $x^3 + 6x + 4 = 0$ by using the iteration $x_{n+1} = \sqrt[3]{6x_n - 4}$

Start with $x_1 = -2.8$

$$x_2 = \sqrt[3]{6 \times (-2.8) - 4} = -2.750 \dots$$

$$x_3 = \sqrt[3]{6 \times (-2.750 \dots) - 4} = \dots$$

Repeat until you know the solution, or you do as many as the question says.

Equation of a circle A16

$x^2 + y^2 = r^2$ is a circle with centre $(0, 0)$ and radius r .

→ $x^2 + y^2 = 25$ has centre $(0, 0)$ and radius 5

Quadratics A11, A18

If a quadratic equation cannot be factorised, use the formula

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

→ Solve $2x^2 + 3x - 7 = 0$

$$x = \frac{-3 \pm \sqrt{9 - (-56)}}{2 \times 2} = -2.73$$

or $x = \frac{-3 + \sqrt{9 - (-56)}}{2 \times 2} = 1.23$

Complete the square to find the turning point of a quadratic graph.

→ $y = x^2 - 6x + 2$
 $y = (x - 3)^2 - 9 + 2$
 $y = (x - 3)^2 - 7$

Turning point is at $(3, -7)$

Simultaneous equations A19

One linear, one quadratic;

→ Solve $\begin{cases} x + 3y = 10 \\ x^2 + y^2 = 20 \end{cases}$

Rearrange the linear, and substitute into the quadratic

$$x = 10 - 3y$$

$$\text{so } (10 - 3y)^2 + y^2 = 20$$

Expand and solve the quadratic

$$100 - 60y + 9y^2 + y^2 = 20$$

$$10y^2 - 60y + 80 = 0$$

$$y = 2 \text{ or } y = 4$$

Finally, substitute into the linear and solve, pairing values...

$$x + 3 \times 2 = 10 \text{ so } (x, y) = (4, 2)$$

$$x + 3 \times 4 = 10 \text{ so } (x, y) = (-2, 4)$$

Sequences A24, A25

n th term of an arithmetic (linear) sequence is $bn + c$

→ n th term of 5, 8, 11, 14, ...

is $3n + 2$ (always increases by 3

first term is $3 \times 1 + 2 = 5$)

n th term of a quadratic sequence is $an^2 + bn + c$

→ First three terms of

$$n^2 + 3n - 1 \text{ are } 3, 9, 17, \dots$$

Geometric sequence; multiply each term by a constant ratio

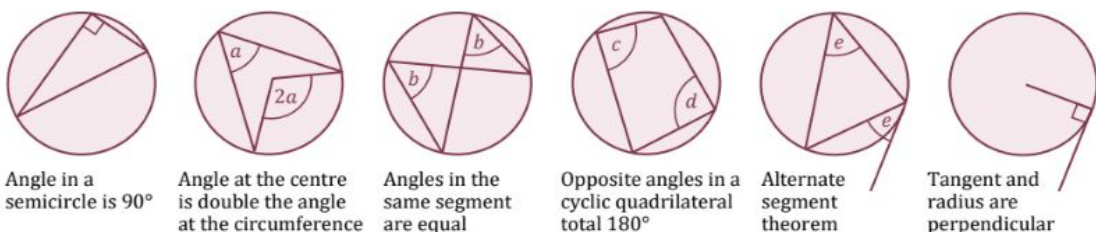
→ 3, 6, 12, 24, ... (ratio is 2)

Fibonacci sequence; make the next term by adding the previous two ...

→ 2, 4, 6, 10, 16, 26, 42, ...

Circle theorems

G10



Areas and volumes

G16, G17, G18, G23

Circumference of circle = $\pi \times D$
Area of circle = $\pi \times r^2$

Area of triangle = $\frac{1}{2}ab\sin C$

Arc length = $\frac{\theta}{360^\circ} \times \pi \times D$

Area of sector = $\frac{\theta}{360^\circ} \times \pi \times r^2$

Volume of prism = area of cross section \times length

Volume of frustum is difference between the volumes of two cones

Volume of cone = $\frac{1}{3}\pi r^2 h$

Percentages: multipliers R9, R16

Percentage increase or decrease; use a multiplier (powers for repetition)
→ Initially there were 20 000 fish in a lake. The number decreases by 15% each year. Estimate the number of fish after 6 years.
 $20\,000 \times 0.85^6 = 7500$ (2sf)

Formula for compound interest

$$\text{Total accrued} = P \left(1 + \frac{r}{100}\right)^n$$

→ I invest £600 at 3% compound interest. What is my account worth after 5 years?

$$£600 \times \left(1 + \frac{3}{100}\right)^5 = £695.56$$

Direct & inverse proportion R10

y is directly proportional to x:

$y = kx$ for a constant k

→ b is directly proportional to a^2

$a = 6$ when $b = 90$ Find b if $a = 8$

$b = ka^2$ $a = 6$ and $b = 90$ for k

$90 = k \times 6^2$ so $k = 2.5$, $b = 2.5a^2$

$$b = 2.5 \times 8^2 = 160$$

y is inversely proportional to x

$yx = k$ or $y = \frac{k}{x}$ for a constant k

Similar shapes

G19

Ratios in similar shapes and solids:

- Length/perimeter $1:n$ $a:b$
- Area $1:n^2$ $a^2:b^2$
- Volume $1:n^3$ $a^3:b^3$

Probability rules

P8, P9

Multiply for independent events

→ P(6 on dice and H on coin)

$$\frac{1}{6} \times \frac{1}{2} = \frac{1}{12}$$

Add for mutually exclusive events

→ P(5 or 6 on dice)

$$\frac{1}{6} + \frac{1}{6} = \frac{2}{6}$$

Apply these rules to tree diagrams.

In general...

$$P(A \text{ or } B) = P(A) + P(B) - P(A \text{ and } B)$$

$$P(A \text{ and } B) = P(A \text{ given } B) \times P(B)$$

Transformations

G7, G8

Reflection

- Line of reflection
- Translation
- Vector

Rotation

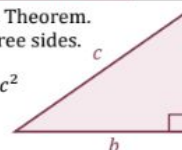
- Centre of rotation
- Angle of rotation
- Clockwise or anticlockwise

Enlargement

- Centre of enlargement
- Scale factor (if $-1 < SF < 1$ the shape will get smaller).

Right angled triangles

Pythagoras Theorem.
Links all three sides.
No angles.
 $a^2 + b^2 = c^2$

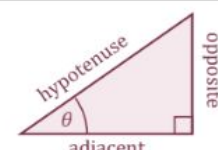


Trigonometry.
Links two sides and one angle.
SOH | CAH | TOA

$$\sin \theta = \frac{\text{opp}}{\text{hyp}} \quad \cos \theta = \frac{\text{adj}}{\text{hyp}} \quad \tan \theta = \frac{\text{opp}}{\text{adj}}$$

Use "2ndF" or "SHIFT" key to find a missing angle

The longest side of any right angled triangle is the hypotenuse; check that your answer is consistent with this.



Advanced trigonometry

G21, G22

Sine Rule

Use if you are given an angle-side pair

$$\frac{a}{\sin A} = \frac{b}{\sin B} = \frac{c}{\sin C}$$

Missing side:

$$\frac{\sin A}{a} = \frac{\sin B}{b} = \frac{\sin C}{c}$$

Missing angle:

Cosine Rule

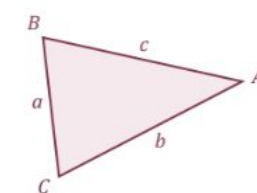
Use if you can't use the sine rule

$$a^2 = b^2 + c^2 - 2bc \cos A$$

$$\cos A = \frac{b^2 + c^2 - a^2}{2bc}$$

Special values of sin, cos, tan
Learn (or be able to find without a calculator)...

θ°	$\sin \theta^\circ$	$\cos \theta^\circ$	$\tan \theta^\circ$
0	0	1	1
30	$\frac{1}{2}$	$\frac{\sqrt{3}}{2}$	$\frac{1}{\sqrt{3}}$
45	$\frac{1}{\sqrt{2}}$	$\frac{1}{\sqrt{2}}$	1
60	$\frac{\sqrt{3}}{2}$	$\frac{1}{2}$	$\sqrt{3}$
90	1	0	

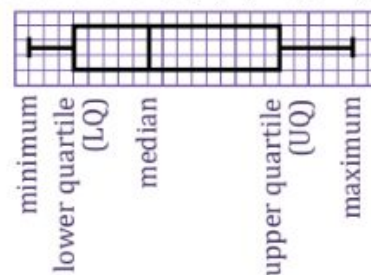


A is opposite a
B is opposite b
C is opposite c

Box plots

S4

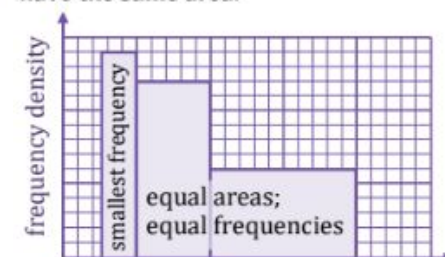
Interquartile range (IQR) = UQ - LQ



Histograms

S3

Frequency = frequency density multiplied by class width. This means that bars with the same frequency have the same area.



Key points to learn

.Breathing	Not the same as respiration. Method of obtaining oxygen from the air
Aerobic respiration	Process by which all living things get energy from glucose and oxygen
	Happens continuously in plants and animals. Provides lots of energy
	Glucose + Oxygen \rightarrow Carbon + Water dioxide
	$C_6H_{12}O_6 + 6O_2 \rightarrow 6CO_2 + 6H_2O$
	Exothermic reaction - gives off heat
Response to exercise	Occurs within mitochondria in cells
	During exercise body needs more energy so rate of aerobic respiration increases. This needs:
	<ol style="list-style-type: none"> 1. Heart rate increases - blood carries glucose and oxygen faster 2. Breathing rate and volume increases - lungs obtain more oxygen 3. Glycogen stores turned into glucose - more glucose available
Anaerobic respiration	More respiration means you get hotter and may need to cool down
	Provides energy from glucose if there is not enough oxygen available
Anaerobic respiration in plants and yeast	Called fermentation. Used to make bread and alcohol
	Glucose \rightarrow Ethanol + Carbon dioxide
Enzymes	Biological catalyst. Helps reactions to happen in living things

Key points to learn

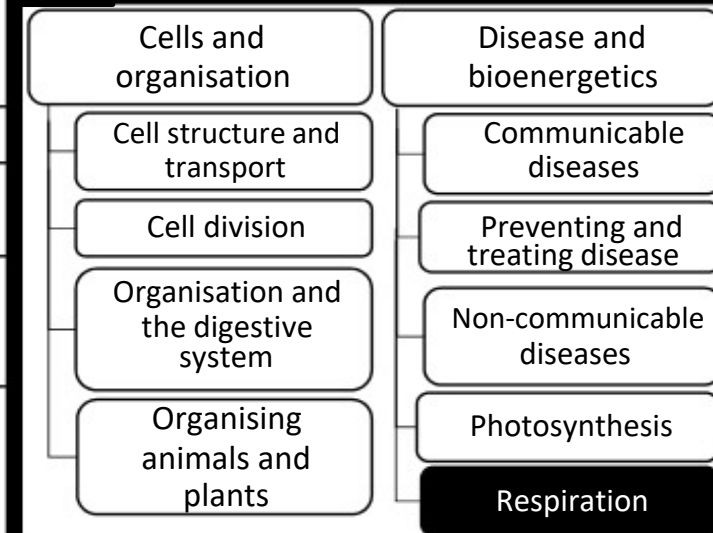
Anaerobic respiration in animal cells	Glucose \rightarrow Lactic acid
	Much less energy provided than aerobic respiration
Lactic acid	Leads to an oxygen debt which requires more oxygen after exercise is complete to break down the lactic acid
	Causes muscles to tire and cramp
Metabolism	The sum of all the reactions in a cell or the body of an organism
	Energy provided by respiration is used in these metabolic reactions to make new molecules
Metabolic reactions	Includes these 5 reactions:
	<ol style="list-style-type: none"> 1. Turning glucose into starch, glycogen and cellulose 2. Making lipids from glycerol and fatty acids 3. Using glucose and nitrate ions to make amino acids 4. Respiration 5. Turning excess proteins into urea
Metabolic rate	The rate at which reactions happen in an organism
Lipids	Fats and oils
Starch	Carbohydrate store in plants
Glycogen	Carbohydrate store in animals
Cellulose	Makes cell walls in plants
Urea	Waste product from liver

Trilogy B9: Respiration

Bioenergetics

Knowledge Organiser

Big picture (Biology Paper 1)





Background

It is one of the R's in MRS GREN. All living things do it, all of the time. Every single one of your 10 trillion living body cells are doing it right now. As are the 100trillion microbes living in your intestines!

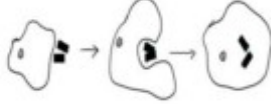


Additional information

The five metabolic reactions are all covered in more detail in this course. Remember that they all use enzymes. 'Aerobic respiration' is often known as just 'respiration'. It is photosynthesis in reverse.

Key points to learn

Bacteria	Large microbe Living 
	Divide by splitting in two
	May produce toxins to make us ill
	Cause: <ul style="list-style-type: none"> • Salmonella - food poisoning • Gonorrhoea - sexually transmitted disease (STD)
Viruses	Smallest microbe Not alive 
	Live and reproduce inside cells
	Cause: <ul style="list-style-type: none"> • Measles - can be fatal • HIV - can turn into AIDS • Tobacco mosaic virus (TMV) affects photosynthesis in plants
Fungi	The other type of microbe. Living
	Cause: <ul style="list-style-type: none"> • Rose black spot - affects photosynthesis in plants
Pathogens	Microbes/microorganisms that cause diseases
	Spread by air, contact and water
Communicable diseases	Infectious diseases that can be passed from one person to another
	Caused by pathogens
Malaria	Is a protist disease. Spread by mosquito bites

Key points to learn

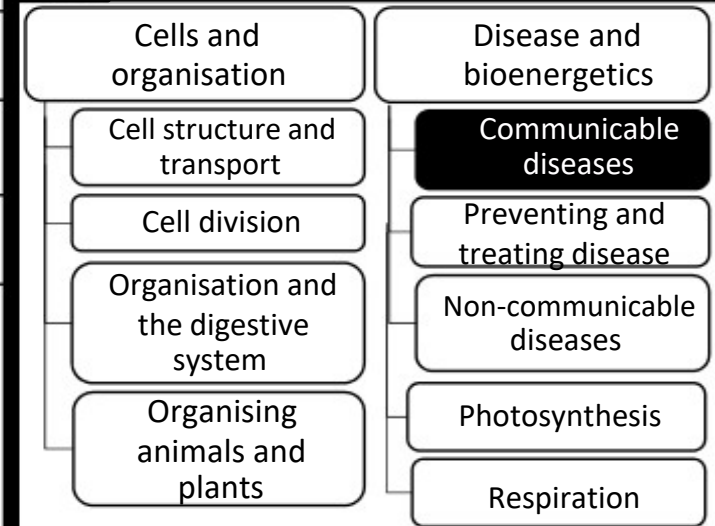
Causes of ill health	Pathogens, diet, stress, life situations/conditions
Non-communicable diseases	Cannot be transmitted from one person to another Eg heart disease, arthritis
Ignaz Semmelweis	Doctor in mid-1850s who persuaded doctors to wash their hands
Louis Pasteur	Showed that microbes caused disease. Developed vaccines
Vaccines	An inactive form of a pathogen used to prepare your immune system
Human defences against pathogens	<ol style="list-style-type: none"> 1. Skin barrier - covers your body 2. Nose - hair and mucus act as trap 3. Trachea and bronchi - covered in cilia and mucus 4. Stomach - makes acid to destroy 5. Immune system - white blood cells defend us in three ways
Trachea	Pipe from mouth to bronchi
Bronchi	Pipe into each lung
Cilia	Tiny hair-like cells
White blood cells	<u>1. Phagocytosis</u> ingest microbes 
	<u>2. Produce antibodies</u> chemicals to destroy microbes 
	<u>3. Produce antitoxins</u> chemicals to cancel-out toxins made by pathogens 

Trilogy B5: Communicable diseases

Collins Revision Guide: Infection and response

Knowledge Organiser

Big picture (Biology Paper 1)



Background

Nobody likes getting ill. To better avoid diseases, we need to understand what causes and how our bodies try and defend us from them.




Additional information

This topic links really well with B6 which is all about how we can further defend against these diseases.

Key points to learn

Bacteria	Large microbe. Living
	Divide by splitting in two
	May produce toxins to make us ill
	Cause: - Salmonella - Gonorrhoea
Viruses	Smallest microbe. Not alive
	Live and reproduce inside cells
	Cause: - Measles - HIV - Tobacco mosaic virus (TMV)
Pathogens	Microbes/microorganisms that cause diseases
	Spread by air, contact and water
Communicable diseases	Infectious diseases that can be passed from person to person
	Caused by pathogens
Louis Pasteur	Showed that microbes caused disease. Developed vaccines
Painkillers	No effect on the pathogens but do reduce the symptoms of illness. Eg aspirin and paracetamol
Destroying viruses	Is very difficult without damaging body tissue as they live inside cells
Discovery of new drugs	Medicines used to be extracted from plants and microorganisms eg <ul style="list-style-type: none"> Heart drug <i>digitalis</i> from foxglove Painkiller aspirin from willow tree Penicillin from mould
Placebo	A tablet with no active medicine content

Key points to learn

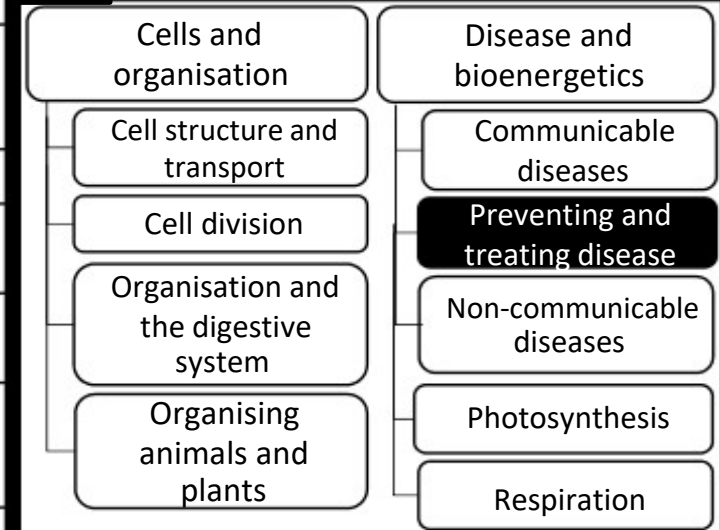
Vaccines	An inactive form of a pathogen used to prepare your immune system
	White blood cells are able to respond quickly to prevent infection
	MMR is a vaccine against mumps, measles and rubella
Antibiotics	Medicines that kill specific bacteria. Greatly reduced deaths from bacterial diseases
	Cannot kill viruses
	Some bacteria are becoming resistant which is very concerning
	Alexander Fleming discovered penicillin
Making animals medicines	Need to be checked for toxicity (safety), efficacy (effectiveness) and dose
	First trials are done using cells, tissues and live
	Clinical trials use healthy volunteers and patient: <ol style="list-style-type: none"> 1. Very low doses at start of trial 2. If safe, more trials done 3. In double blind trial some patients given placebo
White blood cells	1. <u>Phagocytosis</u> ingest microbes 
	2. Produce antibodies chemicals to destroy microbes 
	3. Produce antitoxins chemicals to cancel-out toxins made by pathogens 

Trilogy: B6 Preventing and treating diseases

Infection and response

Knowledge Organiser

Big picture (Biology Paper 1)



Background

Nobody likes getting ill. To better avoid diseases, we need to understand what causes and how our bodies try and defend us from them.

Additional information

This topic links really well with B6 which is all about how we can further defend against these diseases.

Key points to learn

Non-communicable diseases	Cannot be transmitted from one person to another Eg heart disease, arthritis
Causes of ill health	Pathogens, diet, stress, life situations/conditions
Communicable diseases	Infectious diseases that can be passed from one person to another Caused by pathogens (microbes)
Coronary heart disease	Layers of fat build up inside coronary arteries, reducing blood flow and oxygen for the heart Stents used to keep arteries open Statin medicines used to reduce blood cholesterol levels which reduces rate of fatty build up
Heart failure	A failed heart can be replaced by a donor heart
Faulty heart valves	Can be replaced by biological/mechanical valves
Coronary arteries	Blood vessels that supply the heart
Cancer	Uncontrolled growth and division of cells Lifestyle and genetic factors can increase risks of some cancers
Tumour	Lump or growth in a part of the body, uncontrolled cell division
Health	State of physical and mental well-being

Key points to learn

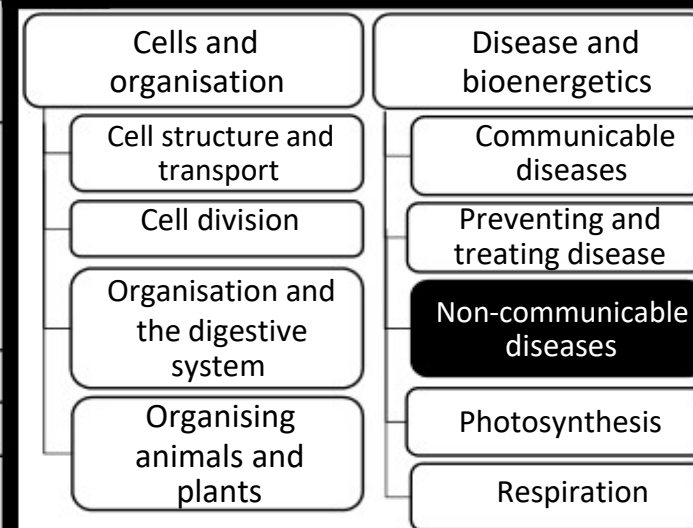
Malignant tumour	Are cancers Invade neighbouring tissues and spread throughout body forming secondary tumours
Benign tumour	Not cancers Growths of abnormal cells in one area that do not invade other parts of the body
Different diseases can interact	<ul style="list-style-type: none"> A defective immune system can lead to more infections Viruses can trigger cancer Pathogens can trigger allergies Physical ill health can lead to depression and mental illness
Smoking and risk of disease	Carbon monoxide harms unborn babies Carcinogens increase risk of cancers Increases risk of coronary heart disease Increases risk of lung disease and lung cancer
Risks of diet, exercise and obesity	Increases risk of coronary heart disease and high blood pressure Obesity can lead to Type 2 diabetes
Alcohol and risk of disease	Damages the liver and carcinogens increase risk of liver cancer Affects brain function Passes to and harms unborn babies
Exposure to ionising radiation	EM Waves (UV rays, X-rays Gamma rays) and radioactive material Can increase risk of cancers

Trilogy B7: Non-communicable diseases

Organisation

Knowledge Organiser

Big picture (Biology Paper 1)



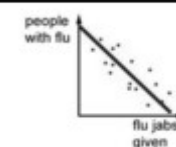
Background

A reported 25% of people in the UK are now obese. Around 17% of adults smoke and many more consume alcohol. So, what are the risks of these lifestyle choices?

Maths skills

Use scatter diagrams to identify correlation between factors.

Using samples to estimate population trends



WORKING SCIENTIFICALLY

Key terms	Definition
Independent variable	A variable in an experiment that you change to find out its effect on the dependent variable
Dependent variable	Variable that is measured in an experiment to see how it changes
Control variable	Variables that are kept the same in an experiment to ensure it doesn't affect the dependent variable
Repeats	The number of times the experiment is carried out to collect data from which to calculate a mean
Mean	The average when repeated data is added together and divided by the number of repeats (anomalous data is not included in the calculation)
Equipment	The scientific apparatus used to make the experiment accurate.
Anomalous	Results that do not fit the pattern seen in other data or are much higher or lower than other repeated readings (outliers).
Equipment	The scientific apparatus used to make the experiment accurate.
Valid	Suitability of the method used to answer the question being asked.
Hypothesis	A proposal intended to explain certain facts or observations.
Prediction	A forecast or statement about what should happen in an experiment.

Key Facts:

Investigating an **independent variable** and its' effect on a **dependent variable** allows us to look for a **correlation**. This means we can describe a relationship between the two variables.

To do this we need to:

- Make a **prediction** based on some previous scientific knowledge.
- Use **equipment** that allows us to make **accurate** measurements
- Identify **hazards** and take **precautions** against them
- **Record** our **results** in a meaningful way
- **Repeat** the test to make sure the **data** we get is the same each time
- **Process** the **data**
- **Analyse data** to identify relationships
- **Evaluate** the method and the data to show it is accurate and valid

Hypothesise and Variables

- A hypothesis is a predication made about an experiment based on some previous scientific knowledge.
- The hypothesis is then tested by carrying out the experiment.
- When designing experiments, there are three types of variable that we need to consider:
 1. The dependent variable (what we measure)
 2. The independent variable (what we change)
 3. The control variables (what we keep the same)

Methods

When writing a method you should include:

1. A clear sequence
2. Information on which equipment to use
3. Volumes and masses for reagents
4. Scientific language

Precision

Firstly, 25cm³ sulphuric acid was added to a small beaker. Using a spatula, excess insoluble base (copper oxide powder) was added to the acid. Check the base is in excess by looking for remaining powder in the beaker. Next, the excess base was filtered out using filter paper in a funnel. The filtrate was allowed to filter into a conical flask. When filtration was complete, the filter paper was discarded and the filtrate solution was poured into an evaporating dish. The solution was left for a few days or the evaporating dish heated for the dissolved salt to crystallise.















Sequencing

Equipment

Scientific language

Equipment

This is some of the most common laboratory equipment that you will be using. Ensure that you learn each piece.

Equipment	Picture	Use	Equipment	Picture	Use
Beaker		For pouring and transferring liquids and solutions.	Test Tube		For carrying out chemical reactions with small amounts of liquid
Conical Flask		For carrying out reactions	Boiling Tube		A boiling tube is used to heat substances in a Bunsen Burner
Bunsen Burner		To heat substances	Measuring Cylinder		To accurately measure out volumes of liquid
Tripod		To support	Spatula		To move small amounts of solid powders
Gauze		To place an object on for example conical flask that you are going to heat.	Stirring Rod		To stir solutions.
Heatproof mat		To protect the desk from the heat produced by the Bunsen Burner and any spillages from the substances which are being heated	Thermometer		To measure the temperature of a substance
Evaporating basin		To evaporate the water from solutions. Leaving behind the solute.	Tongs		To hold and move hot solids for example pieces of metal

Results Tables

- In a results table the independent variable should always go on the left.
- When drawing a results table the following things are good practice::
 - Show all repeat measurements
 - Include the units in the headings
 - Circle anomalies
 - Discount these when calculating a mean

For example:

Concentration of acid (M)	Time taken for reaction to complete (s)			Mean (s)
0.1	102.1	105.6	103.4	103.7
0.2	88.8	86.5	87.2	87.5
0.3	69.1	67.3	64.2	66.9
0.4	56.2	40.1	53.3	54.8
0.5	32.1	30.1	33.2	31.8

Maths skills

To calculate a mean:

- Add together the values for collected data.
- Divide the total by the number of data values used.

E.g. No anomalies:

$$102.1 + 105.6 + 103.4 = 311.1$$

then $311.1 \div 3 = \mathbf{103.7}$

E.g. With anomaly:

$$56.2 + 53.3 = 109.5$$

then $109.5 \div 2 = \mathbf{54.75}$

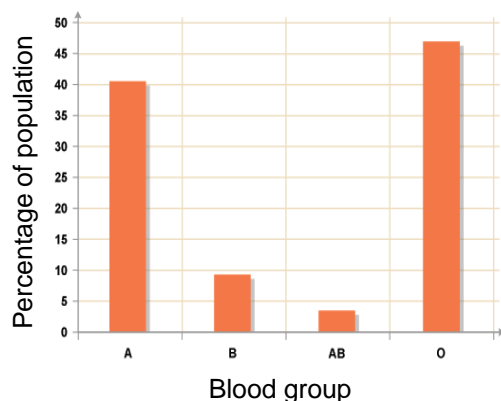
Notice that we left out the smaller number **40.1** and divided by **2**.

In the table the values are all to 1 decimal place so we round **54.75** to **54.8**

Key terms	Definition
Continuous data	Can take any value as whole number or decimals; usually collected by measuring variables, such as mass, volume or density.
Discrete data	Can only take exact whole number (integer) values; usually collected by counting.
Bar chart	Used when one variable is categorical (a label, name or group)
Line Graph	Used when both variables are continuous (have numerical data from measuring)
Line of best fit	Drawn so that plotted points are evenly distributed either side of the line; can be straight or curved.
Evaluate	Use the information supplied, as well as knowledge and understanding, to consider evidence for and against when making a judgement.
Hazard	Something that can cause harm e.g. an object, a property of a substance or an activity
Risk	The likelihood that a hazard will actually cause harm.
Precaution	Action to remove or reduce a risk

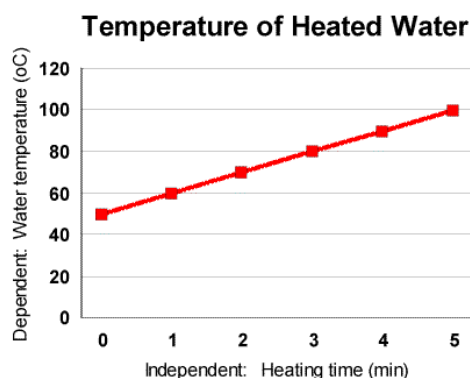
Discontinuous data

Discontinuous or categoric data can only take certain values for example eye colour and blood group, these should be plotted on a bar graph.



Continuous data

Continuous data can take any value, for example height or temperature. This should be plotted on a line graph.



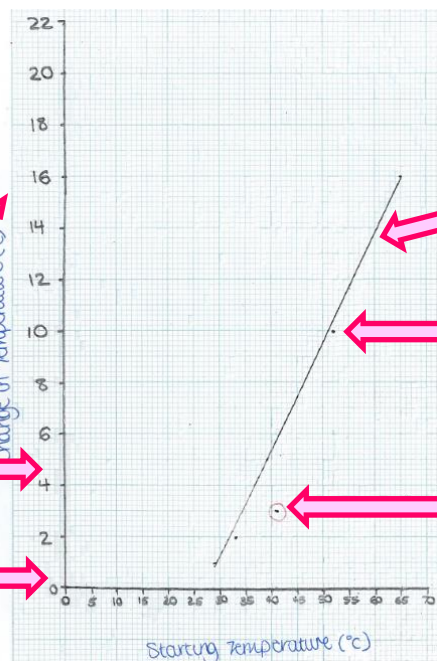
Drawing good line graphs

When drawing a graph you should:

1. Plot the dependent variable on the y axis and independent variable on the x axis
2. Label axis and include units
3. Use small precise crosses to mark your points
4. Add a line of best fit which goes smoothly though as many points as possible (this does not have to be a straight line, it can be a curve but it is not a dot to dot exercise!)
5. Circle anomalies and don't include them when drawing the line of best fit

Labels for axes, with units given in brackets

Both axes have suitable scales (equal intervals)



Accurate line of best fit, passing through most points, excluding anomalies.

Neat, accurately placed plots.

Anomaly recognised and highlighted on the graph

The Reactivity Series

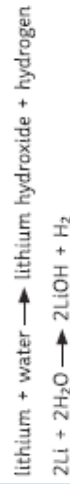
Here's a mnemonic to help you learn the order:

purple (potassium)	potassium
slime (sodium)	sodium
can (calcium)	calcium
make (magnesium)	magnesium
a (aluminium)	aluminium
careless (carbon)	carbon
zebra (zinc)	zinc
insane (iron)	iron
try (tin)	tin
learning (lead)	lead
how (hydrogen)	hydrogen
camels (copper)	copper
surprise (silver)	silver
gorillas (gold)	gold
	platinum

The reactivity series is a league table for metals. The more reactive metals are near the top of the table with the least reactive near the bottom. In chemical reactions, a more reactive metal will displace a less reactive metal.

Reactions of Metals with Water

Metals, when reacted with water, produce a metal hydroxide and hydrogen.



The more reactive a metal is, the faster the reaction.

Reactions of Metals with Dilute Acid

Metals, when reacted with acids, produce a salt and hydrogen.

Sodium + hydrochloric acid \rightarrow sodium chloride + hydrogen



Metals that are below hydrogen in the reactivity series **do not** react with dilute acids.

Reactions of Acids

The general formula for the reaction between an acid and a metal is:
acid + metal \rightarrow salt + hydrogen

For example: hydrochloric acid + sodium \rightarrow sodium chloride + hydrogen



When an acid reacts with an alkali, a neutralisation reaction takes place and a salt and water are produced.

The general formula for this kind of reaction is as follows:



hydrochloric acid + sodium hydroxide \rightarrow sodium chloride + water



Naming Salts

The first part comes from the metal in the metal carbonate, oxide or hydroxide. The second part of the name comes from the acid that was used to make it.

For example, sodium chloride.

Acid Used	Salt Produced
hydrochloric	chloride
nitric	nitrate
sulfuric	sulfate

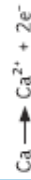
Redox Reactions (Higher Tier Only)

When metals react with acids, they undergo a redox reaction. A **redox** reaction occurs when both **oxidation** and **reduction** take place at the same time.

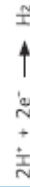
For example:



The ionic equation can be further split into two half equations.



Oxidation is loss of electrons.



Reduction is gaining of electrons.

Reactions with Bases

The general formula for the reaction between an acid and a metal oxide is:
acid + metal oxide \rightarrow salt + water

sulfuric acid + copper oxide \rightarrow copper sulfate + water



Reactions with Carbonates

The general formula for the reaction between an acid and a carbonate is:
acid + carbonate \rightarrow salt + water + carbon dioxide
hydrochloric acid + calcium carbonate \rightarrow calcium chloride + water + carbon dioxide

pH Scale



In aqueous solutions, acids produce H^+ ions and alkalis produce OH^- ions. Neutral solutions are pH 7 and are neither acids or alkalis.

For example, in neutralisation reactions, hydrogen ions from an acid react with hydroxide ions from an alkali to produce water:



Making Soluble Salts

1. Make a saturated solution by stirring copper oxide into the sulfuric acid until no more will dissolve.



2. Filter the solution to remove the excess copper oxide solid.



3. Half fill a beaker with water and set this over a Bunsen burner to heat the water. Place an evaporating dish on top of the beaker.



4. Add some of the solution to the evaporating basin and heat until crystals begin to form.



5. Once cooled, pour the remaining liquid into a crystallising dish and leave to cool for 24 hours.



6. Remove the crystals with a spatula and pat dry between paper towels.



The Reactivity Series

Here's a mnemonic to help you learn the order:

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try (tin)	tin
learning (lead)	lead
how (hydrogen)	hydrogen
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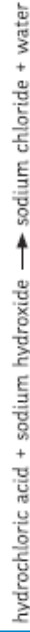
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acid + metal \rightarrow salt + hydrogen

For example: hydrochloric acid + sodium \rightarrow sodium chloride + hydrogen



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The general formula for this kind of reaction is as follows:



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For example, sodium chloride.

Acid Used	Salt Produced
hydrochloric	chloride
nitric	nitrate
sulfuric	sulfate

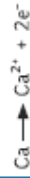
Redox Reactions (Higher Tier Only)

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For example:



The ionic equation can be further split into two half equations.



Oxidation is loss of electrons.



Reduction is gaining of electrons.

Reactions with Bases

The general formula for the reaction between an acid and a metal oxide is:
acid + metal oxide \rightarrow salt + water



Reactions with Carbonates

The general formula for the reaction between an acid and a carbonate is:
acid + carbonate \rightarrow salt + water + carbon dioxide

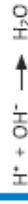


pH Scale



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5. Once cooled, pour the remaining liquid into a crystallising dish and leave to cool for 24 hours.



6. Remove the crystals with a spatula and pat dry between paper towels.



Required Practical – Paper Chromatography

Investigate how paper chromatography can be used to separate and distinguish between coloured substances.

Step 1 – Using a ruler, measure 1cm from the bottom of the chromatography paper and mark with a small dot using a pencil. Rule a line across the bottom of the chromatography paper with a pencil, going through the dot you have just made.

Step 2 – Using a pipette, drop small spots of each of the inks onto the pencil line. Leave a sufficient gap between each ink spot so that they do not merge.

Step 3 – Pour a suitable solvent into the bottom of a container such as a beaker. The solvent should just touch the chromatography paper. The solvent line must not go over the ink spots as this will cause the inks to run into each other.

Step 4 – Place the chromatography paper into the container and allow the solvent to move up through the paper.

Step 5 – Just before the solvent line reaches the top of the paper, remove the chromatogram from the container and allow to dry.

Step 6 – Once the chromatogram has dried, measure the distance travelled by the solvent.

Step 7 – Measure the distance travelled by each ink spot.

Step 8 – Calculate the R_f value. Compare the R_f values for each of the spots of ink.

$$R_f = \frac{\text{distance travelled by substance}}{\text{distance travelled by solvent}}$$

Identification of the Common Gases



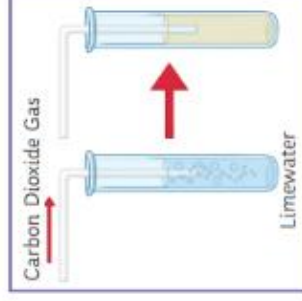
The Test for Oxygen

Place a glowing splint inside a test tube. The **splint will relight** in the presence of oxygen.



The Test for Hydrogen

Place a burning splint at the opening of a test tube. If hydrogen gas is present, it will burn rapidly with a **squeaky-pop sound**.



The Test for Carbon Dioxide

Calcium hydroxide (lime water) is used to test for the presence of carbon dioxide. When carbon dioxide is bubbled through or shaken with limewater, the limewater turns **cloudy**.



The Test for Chlorine

Damp litmus paper is used to test for chlorine gas. The litmus paper becomes **bleached and turns white**.

Chemistry Topic 10: Using resources

1. Keywords

Finite resources	Resources that will run out
Renewable resources	Resources that can be re-grown or will not run out
Sustainable development	Building things with depleting natural resources
Potable water	Water that is safe to drink
Pure water	Water without anything added to it Eg 100% H ₂ O
Desalination	Removing salt by distillation or reverse osmosis
Sterilisation	Killing bacteria and microbes (eg chlorine, ozone or UV)
Distillation	Evaporation followed by condensation, uses a lot of energy
Reverse osmosis	A process using membranes to remove the salt. Uses a lot of energy
Effluent	Liquid waste sewage discharged into rivers and seas
Sludge	Solid sewage waste. Dried and used as fertiliser or burned to generate electricity
Life cycle assessments (LCAs)	A way of assessing the impact of the production transport use and disposal of a product on the environment

2. Waster water treatment

	Name	Description
1	Screening	Solid waste and grit removed by a metal grid
2	Primary treatment	Sediments are allowed to settle out from the mixture
3	Secondary treatment	Bacteria feed on the remaining organic waste. The tank has air bubbled through it so aerobic respiration can occur
4	Final treatment	Bacteria allowed to settle out. Water is sterilised and ready to drink

3. Alternative methods of extracting metals (HT ONLY)

Phytomining	<ol style="list-style-type: none"> Plants absorb metal compounds Plants are harvested and burnt Ash contains metal compounds
Bioleaching	<ol style="list-style-type: none"> Bacteria absorb metal compounds Bacteria excrete a solution of metal called Leachate Electrolysis can extract the metal

4. Corrosion and its prevention (TRIPLE ONLY)

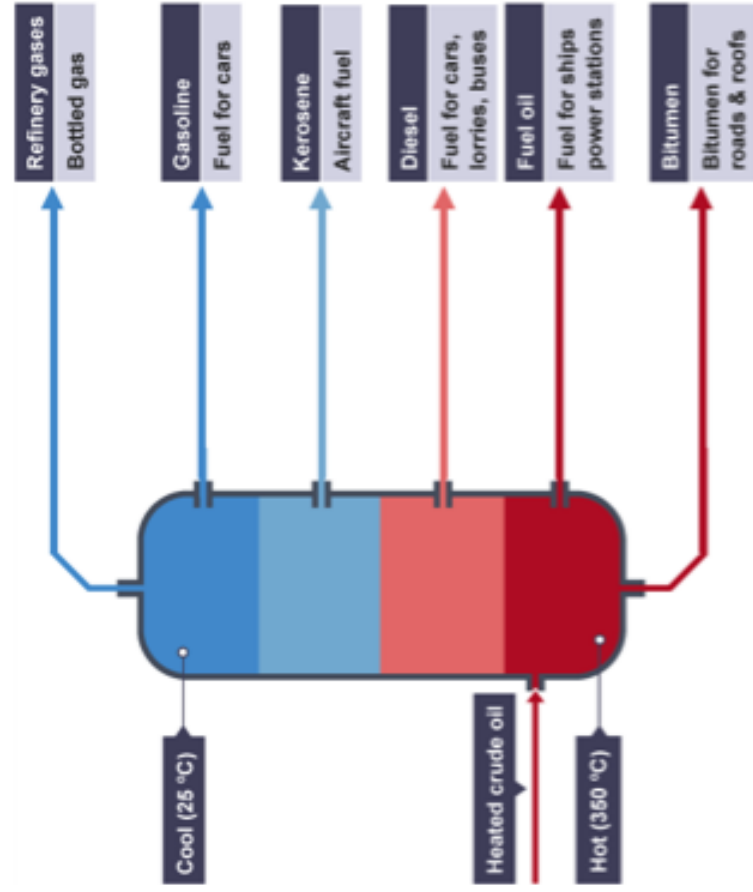
Corrosion	Destruction of materials by chemical reactions. eg rusting	
Prevention method	Works by	Examples
Coating	Providing a barrier	Greasing Painting Electroplating
Sacrificial protection	Reacts with the oxygen instead of the metal	Galvanising by Zinc

Chemistry Topic 7: Organic chemistry

1. Carbon compounds as fuels and feedstock	
Hydrocarbon	A chemical made of only carbon and hydrogen
Crude oil	A mixture of hydrocarbons found in rock
Alkanes	Saturated hydrocarbons (without double bond)
Alkene	Unsaturated hydrocarbon (with double bond). They turn bromine water from brown to colourless.
Fractional distillation	A process of separating crude oil using the different boiling points of fractions
Viscosity	How thick a liquid is
Flammability	How easily a fraction catches fire
Boiling point	The temperature at which a substance turns from a liquid to a gas
Combustion	A reaction where a fuel is oxidised releasing heat energy
Cracking	Breaking less useful long-chain alkanes into useful short-chain alkanes and alkenes

2. Alkanes		
General formula	C_nH_{2n+2}	
Name	Molecular formula	Displayed formula
Methane	CH_4	<pre> H H — C — H H </pre>
Ethane	C_2H_6	<pre> H H H — C — C — H H H </pre>
Propane	C_3H_8	<pre> H H H H — C — C — C — H H H H </pre>
Butane	C_4H_{10}	<pre> H H H H H — C — C — C — C — H H H H H </pre>

3. Fractional distillation	
1.	The column is cooler at the top than the bottom
2.	The crude oil is heated
3	The fractions evaporate and rise up the column
4	The fractions condense at different points according to their boiling point
5	The liquid fractions run off and are collected



4. Properties of hydrocarbons	
Property	Change as carbon change gets longer
Boiling point	Increases
Viscosity	Increases (less runny)
Flammability	Decreases

5. Cracking	
Type of cracking	Conditions
Catalytic	Hot (500°C) + catalyst
Steam	Very hot (850°C) + Steam
Short chain = desirable Long chain = undesirable	

Electricity – Foundation and Higher

Required Practical

Investigating Resistance in a Wire

Independent variable: length of the wire.

Dependent variable: resistance.

Control variables: type of metal, diameter of the wire.

Conclusion: As the length of the wire increases, the resistance of the wire also increases.

Investigating Series and Parallel Circuits with Resistors

Independent variable: circuit type (series, parallel).

Dependent variable: resistance.

Control variables: number of resistors, type of power source.

Conclusion: Adding resistors in series increases the total resistance of the circuit. In a parallel circuit, the more resistors you add, the smaller the resistance.

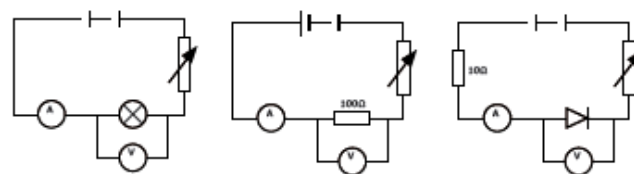
Investigating I-V Relationships in Circuits (Using a filament bulb, ohmic conductor, diode.)

Independent variable: potential difference/volts (V).

Dependent variable: current (A).

Control variable: number of components (e.g. 1 filament bulb, 1 resistor), type of power source.

Set up the circuits as shown below and measure the current and the potential difference.



Draw graphs of the results once collected.

Equations and Maths

Equations

Charge: $Q = It$

Potential difference: $V = IR$

Energy transferred: $E = Pt$

Energy transferred: $E = QV$

Power: $P = VI$

Power: $P = I^2R$

Maths

1kW = 1000W

0.5kW = 500W

Charge

Electric current is the flow of electric charge. It only flows when the circuit is complete.

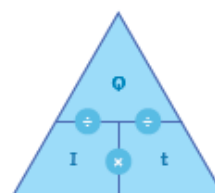
The **charge** is the current flowing past a point in a given time. Charge is measured in **coulombs (C)**.

Calculating Charge

charge flow (C) =

current (A) × time (s)

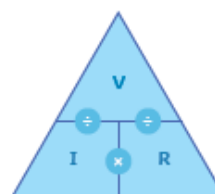
$Q = It$



potential difference =

current × resistance

$V (V) = I (A) \times R (\Omega)$



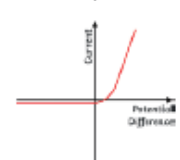
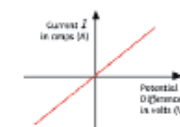
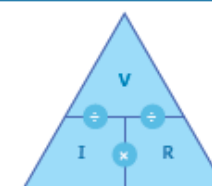
Resistance

voltage (V) = current (A) × resistance (Ω)

$V = IR$

Graphs of I-V Characteristics for Components in a Circuit

1. **Ohmic conductor:** the current is directly proportional to the potential difference - it is a straight line (at a constant temperature).
2. **Filament lamp:** as the current increases, so does the temperature. This makes it harder for the current to flow. The graph becomes less steep.
3. **Diode:** current only flows in one direction. The resistance is very high in the other direction which means no current can flow.



Current and Circuit Symbols

Current: the flow of electrical charge.

Potential difference (voltage): the push of electrical charge.

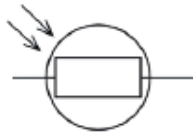
Resistance: slows down the flow of electricity.

cell		closed switch		fuse	
resistor		ammeter		LDR	
battery		voltmeter		LED	
variable resistor		bulb		thermistor	
open switch		diode			

Electricity – Foundation and Higher

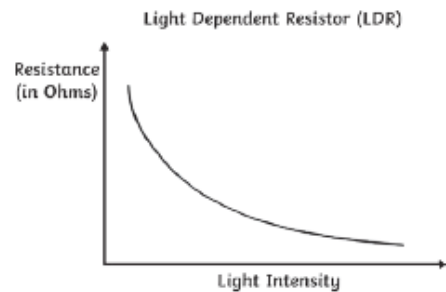
Circuit Devices

LDR – Light Dependent Resistor



An LDR is dependent on light intensity. In bright light the resistance falls and at night the resistance is higher.

Uses of LDRs: outdoor night lights, burglar detectors.

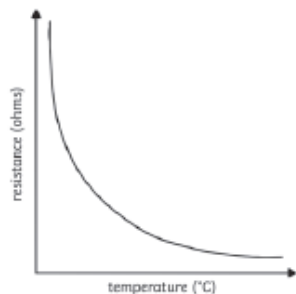


Thermistor



A thermistor is a temperature dependent resistor. If it is hot, then the resistance is less. If it becomes cold, then the resistance increases.

Uses of thermistors: temperature detectors.



Series and Parallel Circuits

Series Circuits

Once one of the components is broken then all the components will stop working.

Potential difference – the total p.d. of the supply is shared between all the components.

$$V_{\text{total}} = V_1 + V_2$$

Current – wherever the ammeter is placed in a series circuit the reading is the same.

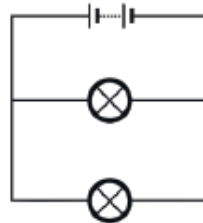
$$I_1 = I_2 = I_3$$

Resistance – In a series circuit, the resistance will add up to make the total resistance.

$$R_{\text{total}} = R_1 + R_2$$

Parallel Circuits

They are much more common - if one component stops working, it will not affect the others. This means they are more useful.



Potential Difference – this is the same for all components.

$$V_1 = V_2$$

Current – the total current is the total of all the currents through all the components.

$$I_{\text{total}} = I_1 + I_2 + I_3$$

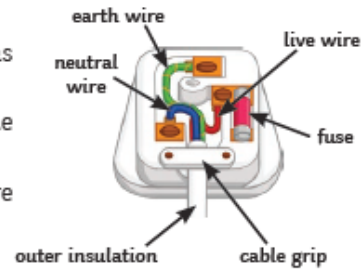
Resistance – adding resistance reduces the total resistance.

Electricity in the Home

AC – alternating current. Constantly changing direction - UK mains supply is 230V and has a frequency of 50 hertz (Hz).

DC – direct current. Supplied by batteries and only flows in one direction.

Cables – most have three wires: live, neutral and earth. They are covered in plastic insulation for safety.



Live wire – provides the potential difference from the mains.

Neutral wire – completes the circuit.

Earth wire – protection. Stops the appliance from becoming live. Carries a current if there is a fault. Touching the live wire can cause the current to flow through your body. This causes an electric shock.

Energy Transferred – this depends on how long the appliance is on for and its power.

$$\text{energy transferred (J)} = \text{power (W)} \times \text{time (s)} \quad E = Pt$$

Energy is transferred around a circuit when the charge moves.

$$\text{energy transferred (J)} = \text{charge flow (C)} \times \text{potential difference (V)} \quad E = QV$$

$$\text{power (W)} = \text{potential difference (V)} \times \text{current (A)} \quad P = VI$$

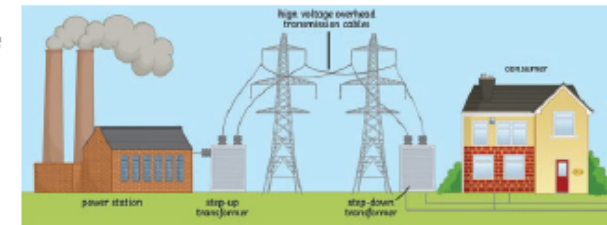
$$\text{power (W)} = \text{current}^2 \text{ (A)} \times \text{resistance } (\Omega) \quad P = I^2R$$

The National Grid

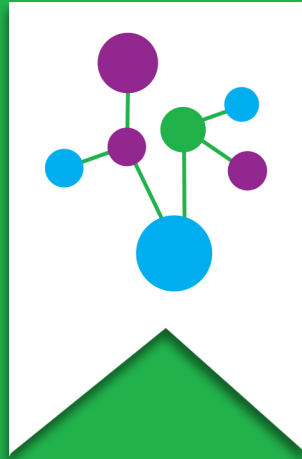
The National Grid is a system of cables and transformers. They transfer electrical power from the power station to where it is needed. Power stations are able to change the amount of electricity that is produced to meet the demands. For example, more energy may be needed in the evenings when people come home from work or school. Electricity is transferred at a low current, but a high voltage so less energy is being lost as it travels through the cables.

Step-up transformers – increase the voltage as the electricity flows through the cables.

Step-down transformers – decrease the potential difference to make it safe.



PLYMPTON ACADEMY



TERM FIVE & SIX

HANDBOOK

YEAR 10